

PHY2208 Optics

22 lectures, 10 credits

Dr T. J. Harries, Room 407, T.J.Harries@exeter.ac.uk

2 CA tests (30 minutes each)	40%
3 problem classes	10%
1 Exam (90 minutes) (plus 3 problem sheets)	50%

Recommended texts:

University Physics, Young and Freedman (Addison Wesley)
Principles of Optics, Pedrotti and Pedrotti (Prentice Hall)

Plan of syllabus

Lecture	Subject
1-6	Geometrical (ray) optics
7-13	Interference and spectrometers
14-16	Diffraction and resolution
17-19	Polarization
20-22	Lasers

What is light?

Light is a transverse electromagnetic (EM) wave which propagates through space at a speed $c = 2.997925 \times 10^8 \text{ ms}^{-1}$ (in a vacuum).

Light possesses a wavelength λ and a frequency ν which are related by $c = \nu \lambda$.

'Light' is just one part of the electromagnetic spectrum i.e. radiation with $\lambda = 0.5$ microns. Other forms of EM radiation:

	γ -ray	X-ray	UV	'Light'	IR	Radio
λ	pm	nm	~100nm	~500nm	1-100 μ m	1mm-1km

Ray optics

Ray optics is a *vastly simplified* model of light, but it is useful for describing the formation of the **image** of an object.

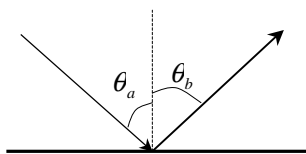
As a rule of thumb:

Ray optics gives a reasonable description of light propagation through any system **whose size is large compared to λ** .

Basic principles of ray optics

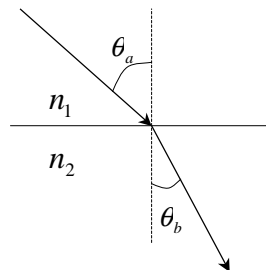
- In free space light travels along straight paths called 'rays'
- Rays are emitted in all directions from infinitesimal point sources
- Extended objects can be considered as comprising infinitely many point sources.
- Rays striking a surface may change direction by **reflection** or **refraction**

Reflection



Direction of travel is changed such that $\theta_a = \theta_b$

Refraction




When a ray travels from one medium to another with a different refractive index n (see YF 34-3), it is deflected such that

$$n_1 \sin \theta_a = n_2 \sin \theta_b$$

This is **Snell's Law of Refraction**

The Archer Fish



The Archer fish squirts a jet of water from beneath the surface to knock down insects from overhanging branches. In order to hit the insect the fish must understand Snell's law...

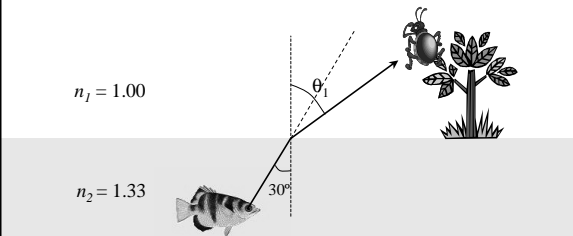
Q: If an Archer fish sees an insect at 30° from the normal (vertical) at what angle must it squirt its water to get lunch?

Applying Snell's law to find θ_1 :

$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

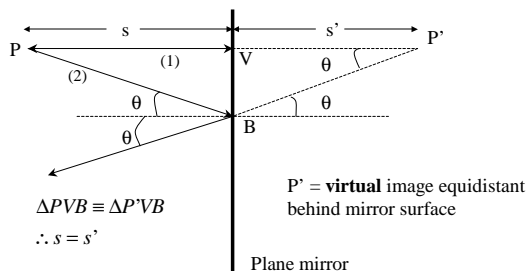
$$1.0 \sin \theta_1 = 1.33 \sin 30^\circ$$

$$\theta_1 = \sin^{-1}(0.665) = 42^\circ$$



The **image** of a point source is the point in space where:

- 1) rays from the point source re-converge (a **real image**)
- or*
- 2) rays appear to emanate from (a **virtual image**)



$\triangle PVB \cong \triangle P'VB$
 $\therefore s = s'$

P' = **virtual image** equidistant behind mirror surface

Plane mirror

Ray 1 leaves the source and strikes the mirror at normal incidence at V, hence is reflected back on itself.

Ray 2 strikes the mirror at some angle θ at B and hence is reflected at angle θ .

These two rays appear to emanate from a point source at P'.

Clearly $\triangle PVB$ and $\triangle P'VB$ are congruent hence $PV = P'V$ for **any** θ , so **all** rays from P which strike the mirror appear to emanate from P' i.e. P' is a **virtual image** of P.

A plane mirror forms a **virtual image** of a point source, located on the normal from the object to the mirror and equidistant from the mirror surface.

Sign conventions

Object distances are **+ve** on the same side of the surface as **incoming rays**.

Image distances are **+ve** on the same side of the surface as **outgoing rays**.

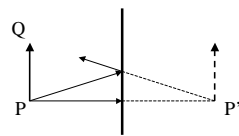
For spherical surfaces (radius of curvature R): R is **+ve** when the centre of curvature C is on the **same side** as the **outgoing rays**.

Object distances will generally be labelled s and image distances s' .

In our plane mirror example, s is +ve, s' is -ve and R is infinite. Hence $s = -s'$ for a plane mirror.

Magnification

Consider an extended object (the arrow PQ) of height y :



Clearly all points comprising the object will produce virtual images similar to P', and hence a virtual image of height $y' = y$.

We define the lateral magnification m as $m = \frac{y'}{y}$

So $m = +1$ for a plane mirror.