

PHYSICS EXAMINATION PROBLEMS SOLUTIONS AND HINTS FOR STUDENT SELF-STUDY

Module Code and Lecturer	PHY1106: AU and PV
Name of module	Oscillations section (PV)
Date of examination	June 2002

1. Use the standard equation: $F = -kx$ to give: $k = 160 \text{ N/m}$.

Standard relation between KE and PE in an undamped system.
Draw standard graph for this (notework / lectures).

For this system without damping, $PE = KE$ when $x = \pm A/\sqrt{2}$ (use lectures derivation for this).

Show usual derivation of equation of motion from balancing of forces and describe the nature of each of the individual forces.

Calculate ω' ($= 3.15 \text{ rads/s}$) and then use standard equation $T' = 2\pi / \omega$ to give $T' = 2.0 \text{ s}$.
Then use equation for logarithmic decrement (δ) to give $\delta = 39.5$.

Standard technique for max. value of b for oscillatory motion gives $b = 16 \text{ kg/s}$.

2. Notework / lectures for complex impedances of components.

Standard derivation (from notes) of total impedance of LCR circuit.

Circuit resonates when Z is a minimum and this occurs when $Z = R$ (i.e. giving $\omega = 1/\sqrt{LC}$).

Describe significance of ϕ as the phase term and use the argand diagram (from lectures / notes) to show that;

$$\cos \phi = \frac{R}{|Z|}$$

Use equation provided for av. power to calculate av. power absorbed in all three cases:

- i) for $1/8 \text{ F}$: $P_{\text{av}} = 7.4 \text{ W}$ ii) for $1/18 \text{ F}$: $P_{\text{av}} = 12.5 \text{ W}$ iii) for $1/32 \text{ F}$: $P_{\text{av}} = 5.3 \text{ W}$

At $C = 1/18 \text{ F}$, the resonant freq. matches the driving frequency (i.e. the system is at resonance) and therefore the max. power is absorbed / transferred.

Use standard equation for Q-factor. i.e. $Q = \frac{\omega_0 L}{R}$ to give $Q = 1.5$.

3. i) a) Notework / lectures for Z_m expression.

b) For velocity, differentiate the expression at the top of the page; then simplify to sin and cosine and take real component only.

c) Standard notework for graph of velocity vs. freq.